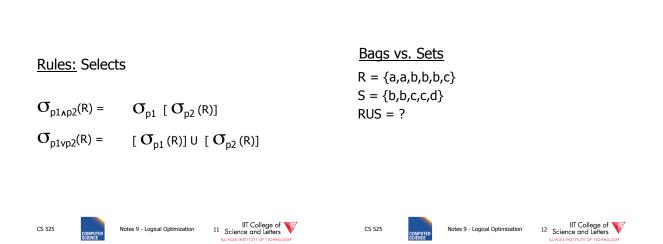
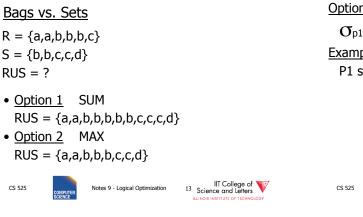


Rules: Natural joins & cross products & union

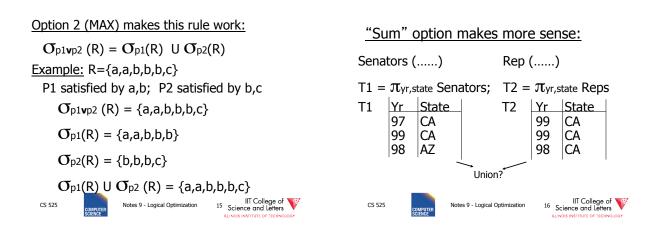
Note:





Option 2 (MAX) makes this rule work:  $\sigma_{p1vp2}(R) = \sigma_{p1}(R) \cup \sigma_{p2}(R)$ Example: R={a,a,b,b,b,c} P1 satisfied by a,b; P2 satisfied by b,c





### **Executive Decision**

- -> Use "SUM" option for bag unions
- -> Some rules cannot be used for bags

### Rules: Project

Let: 
$$X = set of attributes$$
  
  $Y = set of attributes$   
  $XY = X U Y$ 

$$\pi_{xy}(R) =$$

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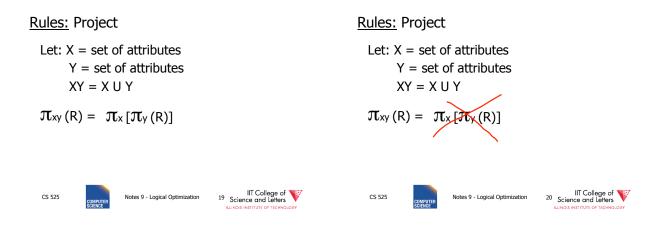
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Let p = predicate with only R attribs q = predicate with only S attribs m = predicate with only R,S attribs

Rules:  $\sigma + \bowtie$  combined (continued)

Some Rules can be Derived:

**O**<sub>p∧q</sub> (R ⋈ S) =

**O**<sub>pvq</sub> (R ⊳⊲ S) =

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 $O_{p_Aq_Am}$  (R  $\bowtie$  S) =

Rules:  $\sigma + \bowtie$  combined

 $O_p$  (R  $\bowtie$  S) =

 $O_q$  (R  $\bowtie$  S) =

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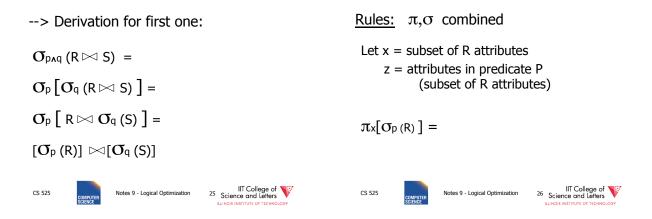
<u>Rules:</u>  $\sigma$  +  $\bowtie$  combined

Let p = predicate with only R attribs q = predicate with only S attribs m = predicate with only R,S attribs

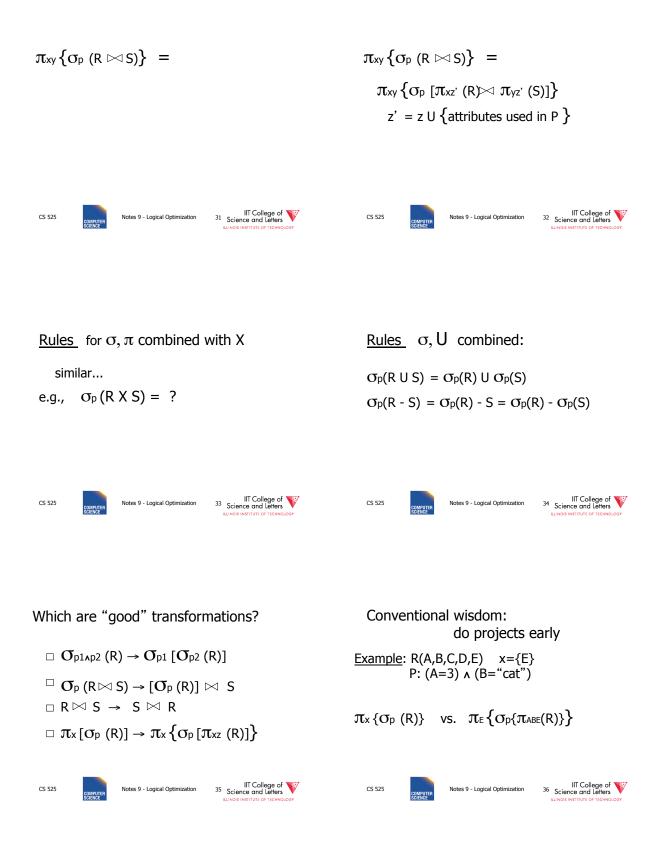
$\sigma_{\scriptscriptstyle p}$ (R	. ⊳⊲ S) =	$[\mathbf{O}_{p}(R)] \Join$	S	
$\sigma_{\scriptscriptstyle q}$ (R	. ⊳⊲ S) =	R $\bowtie$ [ $m{O}_{q}$ (S	5)]	
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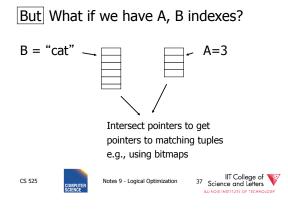
Do one:

$$\begin{split} & \boldsymbol{\sigma}_{pAq} \left( R \bowtie S \right) = [\boldsymbol{\sigma}_{p} \left( R \right)] \bowtie [\boldsymbol{\sigma}_{q} \left( S \right)] \\ & \boldsymbol{\sigma}_{pAqAm} \left( R \bowtie S \right) = \\ & \boldsymbol{\sigma}_{m} \left[ \left( \boldsymbol{\sigma}_{p} R \right) \bowtie \left( \boldsymbol{\sigma}_{q} S \right) \right] \\ & \boldsymbol{\sigma}_{pvq} \left( R \bowtie S \right) = \\ & \left[ \left( \boldsymbol{\sigma}_{p} R \right) \bowtie S \right] U \left[ R \bowtie \left( \boldsymbol{\sigma}_{q} S \right) \right] \\ & \textbf{Stes 9- Logical Optimization} \end{split}$$



<u>Rules:</u> $\pi,\sigma$ combined	<u>Rules:</u> $\pi, \sigma$ combined		
Let x = subset of R attributes z = attributes in predicate P (subset of R attributes)	Let x = subset of R attributes z = attributes in predicate P (subset of R attributes)		
$\pi_{x}[\sigma_{p}(R)] = \{\sigma_{p}[\pi_{x}(R)]\}$	$\pi_{x}[\sigma_{p}(R)] = \pi_{x} \{\sigma_{p}[\pi_{x}(R)]\}$		
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<u>Rules:</u> $\pi$ , $\bowtie$ combined	<u>Rules:</u> $\pi$ , $\bowtie$ combined		
Let x = subset of R attributes y = subset of S attributes z = intersection of R,S attributes	Let x = subset of R attributes y = subset of S attributes z = intersection of R,S attributes		
π <sub>xy</sub> (R ⋈ S) =	π <sub>xy</sub> (R ⋈ S) =		
	π <sub>xy</sub> {[π <sub>xz (R)</sub> ] ▷ [π <sub>yz (S)</sub> ]}		
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#### Bottom line:

- No transformation is always good
- Usually good: early selections

   Exception: expensive selection conditions
   E.g., UDFs

#### More transformations

- Eliminate common sub-expressions
- Detect constant expressions
- Other operations: duplicate elimination

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### **Pushing Selections**

- Idea:
  - Join conditions equate attributes
  - For parts of algebra tree (scope) store which attributes have to be the same
     Called Equivalence classes
- Example: R(a,b), S(c,d)

### $\mathbf{O}_{b=3}$ (R $\bowtie_{b=c}$ S) = $\mathbf{O}_{b=3}$ (R) $\bowtie_{b=c}$ $\mathbf{O}_{c=3}$ (S)



## Outer-Joins

Not commutative

$$-R \bowtie S \neq S \bowtie R$$

- p condition over attributes in A
- A list of attributes from R
- $\sigma_{p} (\mathsf{R} \bowtie_{\mathsf{A}=\mathsf{B}} \mathsf{S}) \equiv \sigma_{p} (\mathsf{R}) \bowtie_{\mathsf{A}=\mathsf{B}} \mathsf{S}$

Not  $\sigma_p$  (R  $\bowtie_{A=B}$  S)  $\equiv$  R  $\bowtie_{A=B} \sigma_p$  (S)

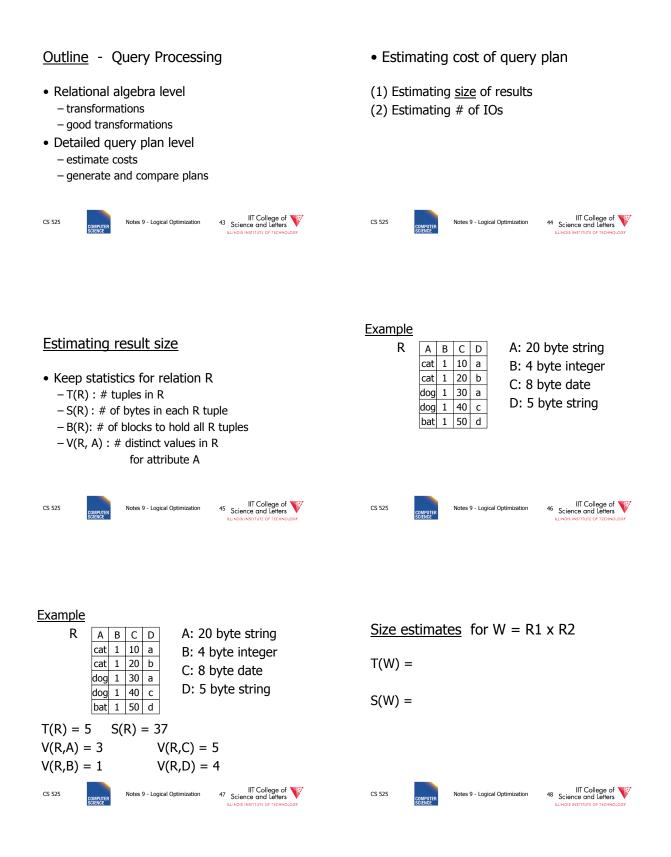


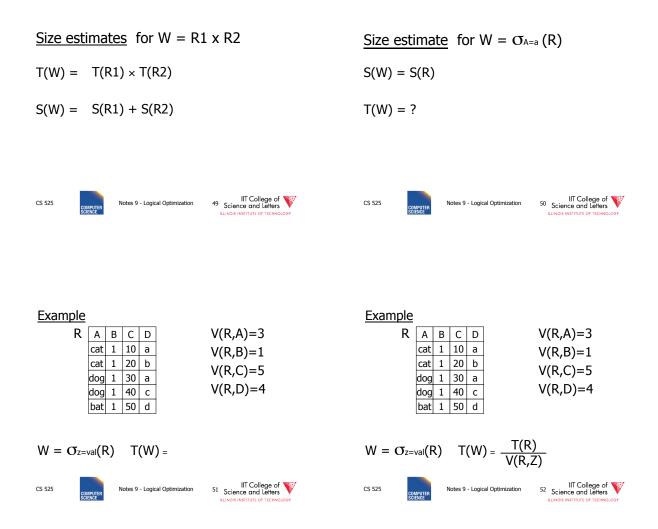
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## Summary Equivalences

- Associativity:  $(R \circ S) \circ T \equiv R \circ (S \circ T)$
- Commutativity: R  $\circ$  S  $\equiv$  S  $\circ$  R
- Distributivity:  $(R \circ S) \otimes T \equiv (R \otimes T) \circ (S \otimes T)$
- Difference between Set and Bag Equivalences
- Only some equivalence are useful

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#### Assumption:

Values in select expression Z = valare <u>uniformly distributed</u> over possible V(R,Z) values.

### Alternate Assumption:

Values in select expression Z = valare <u>uniformly distributed</u> over domain with DOM(R,Z) values.

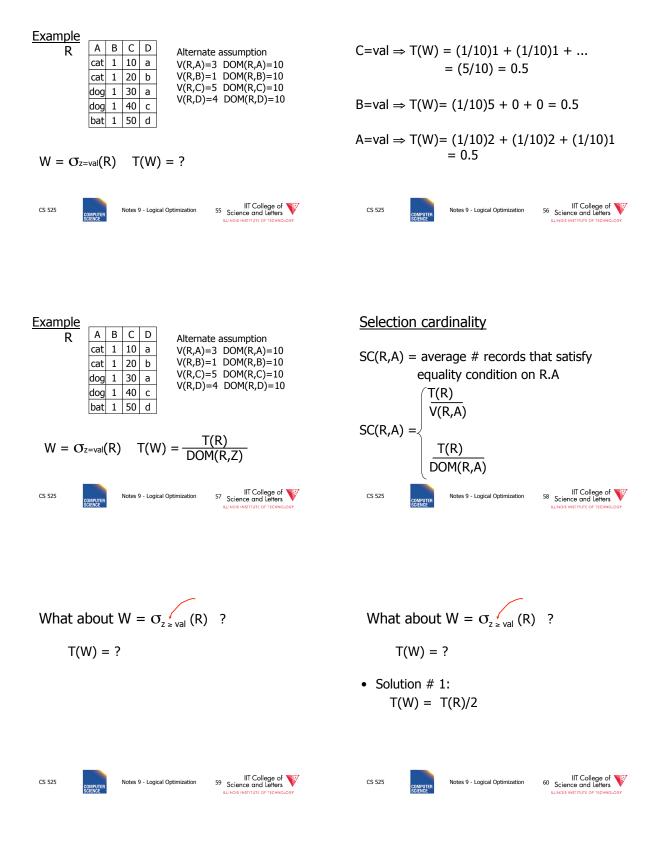
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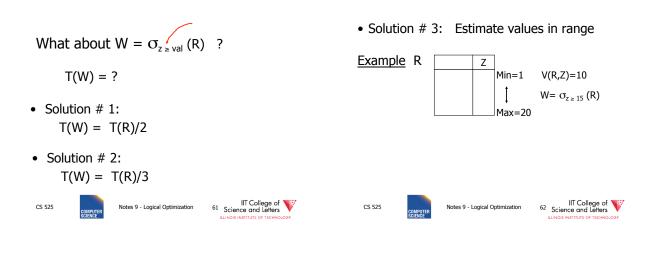
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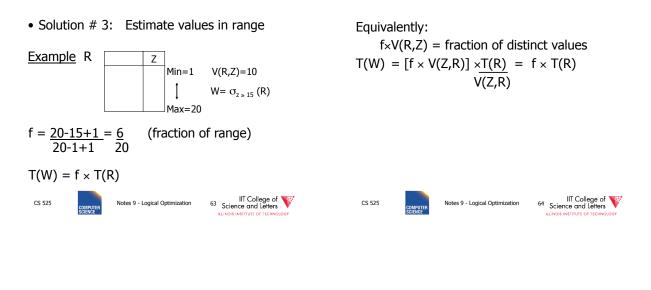
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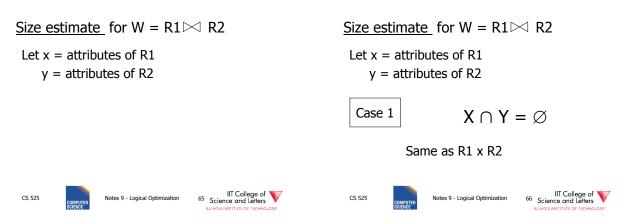
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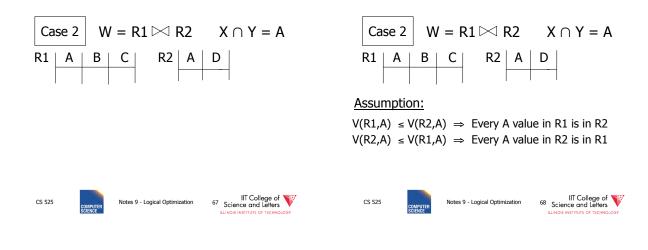


### 



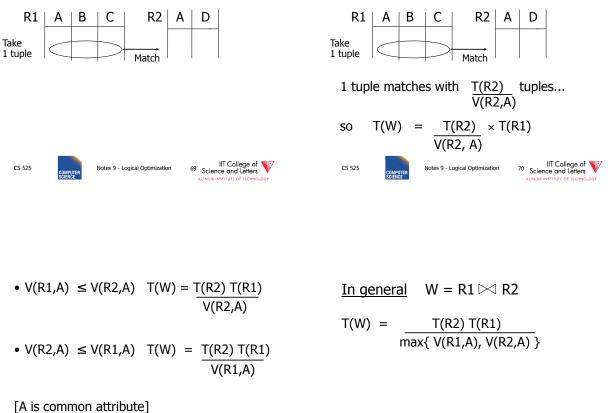


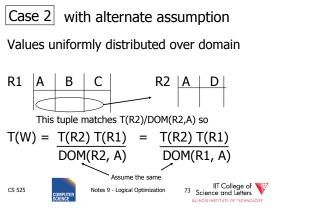


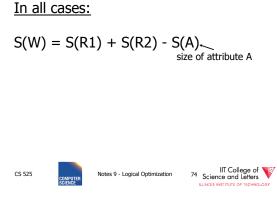


Computing T(W) when  $V(R1,A) \leq V(R2,A)$ 

<u>Computing T(W)</u> when  $V(R1,A) \leq V(R2,A)$ 



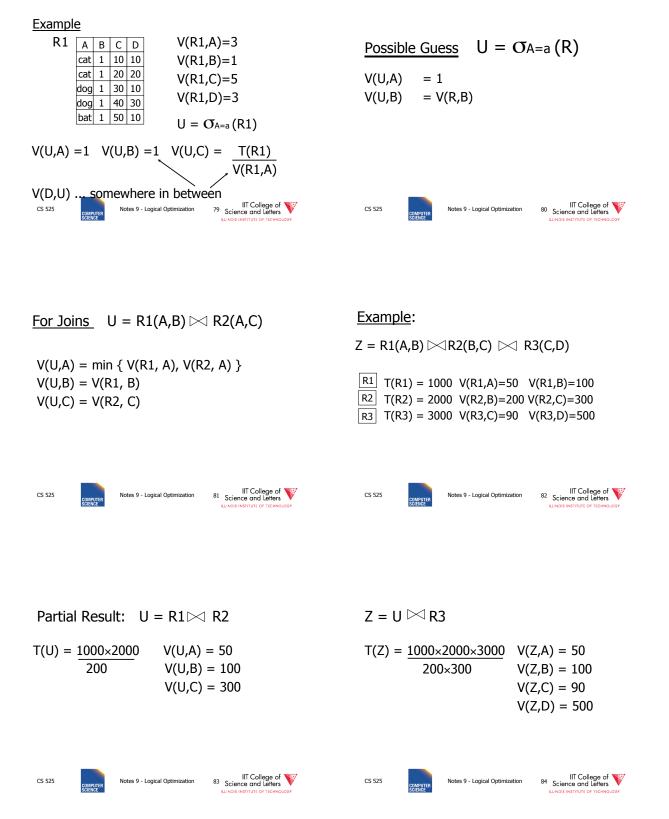


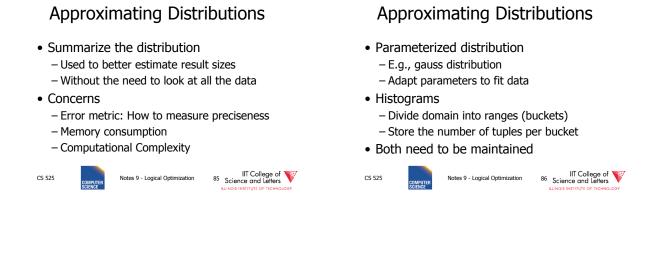


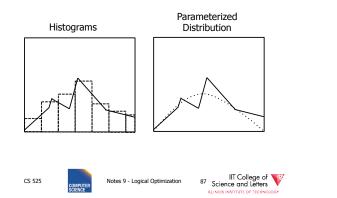
Using similar ideas, Note: for complex expressions, need we can estimate sizes of: intermediate T,S,V results. Пав (R) E.g.  $W = [\sigma_{A=a}(R1)] \bowtie R2$  $O_{A=a \wedge B=b}(R)$ Treat as relation U R 🖂 S with common attribs. A,B,C T(U) = T(R1)/V(R1,A)S(U) = S(R1)Union, intersection, diff, Also need V (U, \*) !! IIT College of V 75 Science and Letters Notes 9 - Logical Optimization 76 Science and Letters CS 525 Notes 9 - Logical Optimization CS 525

<u>To estimate Vs</u>
E.g., $U = \sigma_{A=a}(R1)$ Say R1 has attribs A,B,C,D V(U, A) = V(U, B) = V(U, C) = V(U, D) =
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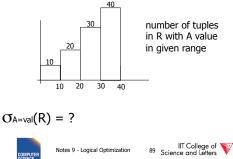
Exampl R1	_	D	6		V(R1,A)=3
	A	В	С	D	
	cat	1	10	10	V(R1,B)=1
	cat	1	20	20	V(R1,C)=5
	dog	1	30	10	
	dog	1	40	30	V(R1,D)=3
	bat	1	50	10	$U = O_{A=a}(R1)$
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## Estimating Result Size using Histograms



# Maintaining Statistics

- Use separate command that triggers statistics collection

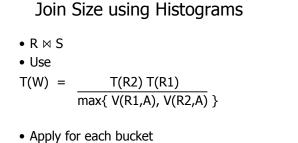
   Postgres: ANALYZE
- During query processing
- Overhead for queriesUse Sampling?
  - coc camping:

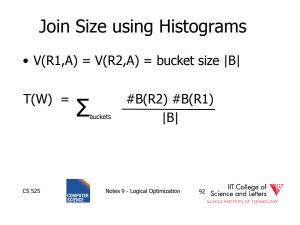


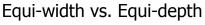
# Estimating Result Size using Histograms

- $\sigma_{A=val}(R) = ?$
- |B| number of values per bucket
- #B number of records in bucket









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• Equi-width

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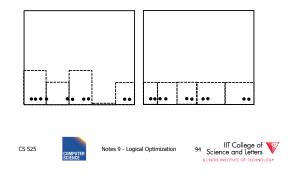
- All buckets contain the same number of values
- Easy, but inaccurate
- Equi-depth (used by most DBMS)
  - All buckets contain the same number of tuples
  - Better accuracy, need to sort data to compute

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Equi-width vs. Equi-depth



# Construct Equi-depth Histograms

- Determine size of buckets – #bucket / #tuples
- Example 3 buckets
- 1, 5,44, 6,10,12, 3, 6, 7
- 1, 3, 5, 6, 6, 7,10,12,44
- [1–5] [6–8] [9–44]

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# Advanced Techniques

- Wavelets
- Approximate Histograms
- Sampling Techniques
- Compressed Histograms



#### <u>Summary</u>

- Estimating size of results is an "art"
- Don't forget: Statistics must be kept up to date ... (cost?)

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### <u>Outline</u>

- Estimating cost of query plan
  - − Estimating size of results ← done!
     − Estimating # of IOs ← next...
  - Operator Implementations
- Generate and compare plans

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