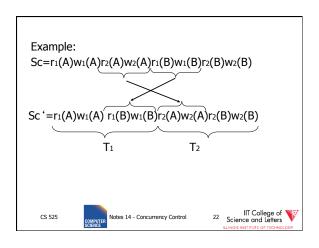
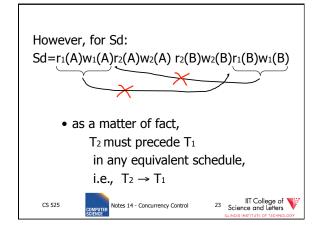
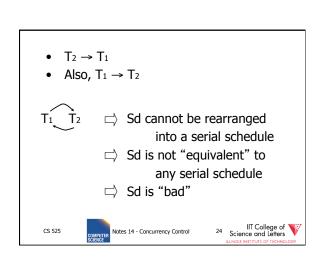
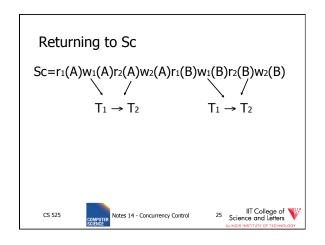


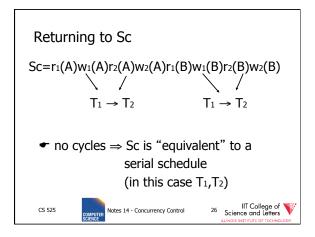
## Outline • Since serial schedules have good properties we would like our schedules to behave like (be equivalent to) serial schedules 1. Need to define equivalence based solely on order of operations 2. Need to define class of schedules which is equivalent to serial schedule 3. Need to design scheduler that guarantees that we only get these good schedules

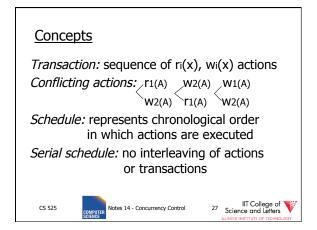


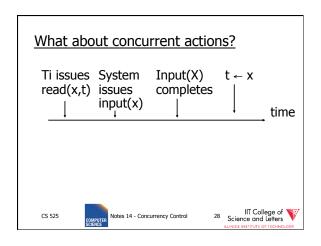


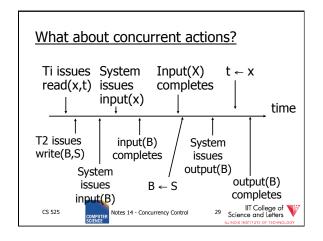


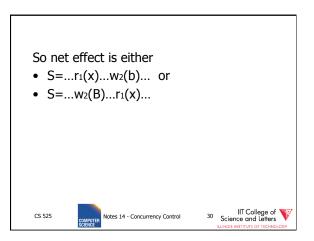












What about conflicting, concurrent actions on same object?

start r1(A) end r1(A)

t start w2(A) end w2(A) time

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What about conflicting, concurrent actions on same object?

start r₁(A) end r₁(A)

start w₂(A) end w₂(A) time

• Assume equivalent to either r₁(A) w₂(A) or w₂(A) r₁(A)

• ⇒ low level synchronization mechanism

• Assumption called "atomic actions"

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## Outline

- Since serial schedules have good properties we would like our schedules to behave like (be **equivalent** to) serial schedules
  - 1. Need to define equivalence based solely on order of operations
  - 2. Need to define class of schedules which is equivalent to serial schedule
  - 3. Need to design scheduler that guarantees that we only get these good schedules

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## Conflict Equivalence

Define equivalence based on the order of conflicting actions

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## Definition

S<sub>1</sub>, S<sub>2</sub> are <u>conflict equivalent</u> schedules if S<sub>1</sub> can be transformed into S<sub>2</sub> by a series of swaps on non-conflicting actions.

## Alternatively:

If the order of conflicting actions in  $S_1$  and  $S_2$  is the same

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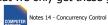




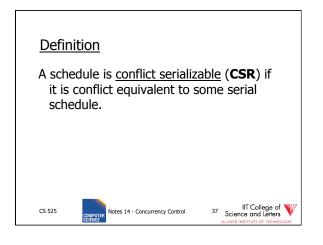
## Outline

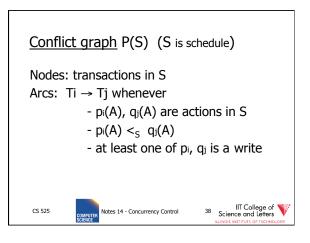
- Since serial schedules have good properties we would like our schedules to behave like (be **equivalent** to) serial schedules
  - 1. Need to define equivalence based solely on order of operations
  - 2. Need to define class of schedules which is equivalent to serial schedule
  - 3. Need to design scheduler that guarantees that we only get these good schedules

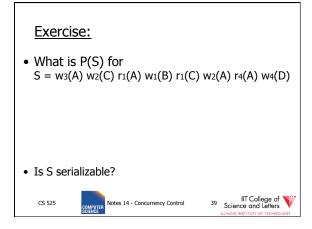
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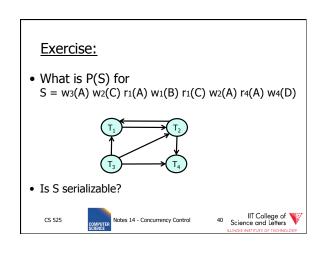


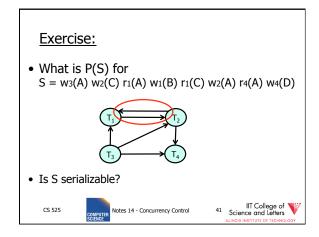


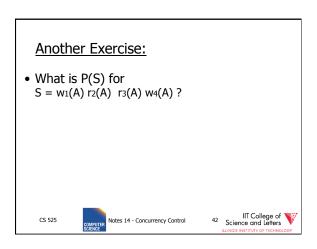


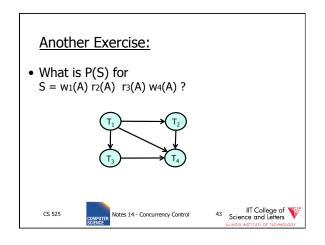


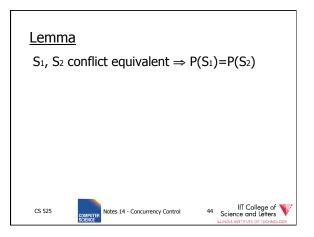












# Lemma S<sub>1</sub>, S<sub>2</sub> conflict equivalent ⇒ $P(S_1)=P(S_2)$ Proof: $(a \rightarrow b \text{ same as } \neg b \rightarrow \neg a)$ Assume $P(S_1) \neq P(S_2)$ ⇒ ∃ T<sub>i</sub>: T<sub>i</sub> → T<sub>j</sub> in S<sub>1</sub> and not in S<sub>2</sub> ⇒ S<sub>1</sub> = ...p<sub>i</sub>(A)... q<sub>j</sub>(A)... {p<sub>i</sub>, q<sub>j</sub>} S<sub>2</sub> = ...q<sub>j</sub>(A)...p<sub>i</sub>(A)... {conflict} ⇒ S<sub>1</sub>, S<sub>2</sub> not conflict equivalent

Note:  $P(S_1)=P(S_2) \not\Rightarrow S_1$ ,  $S_2$  conflict equivalent

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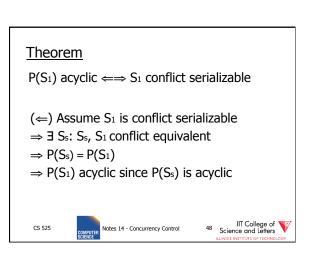
Note:  $P(S_1)=P(S_2) \not\Rightarrow S_1$ ,  $S_2$  conflict equivalent

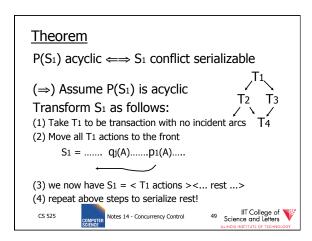
Counter example:  $S_1=w_1(A) \ r_2(A) \ w_2(B) \ r_1(B)$   $S_2=r_2(A) \ w_1(A) \ r_1(B) \ w_2(B)$ CS 525

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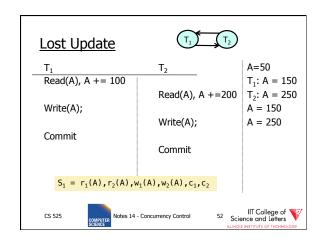
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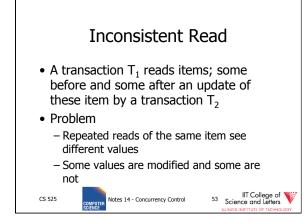


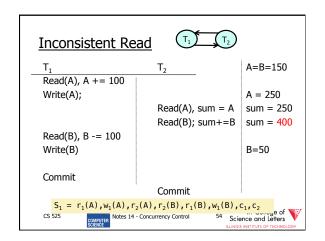


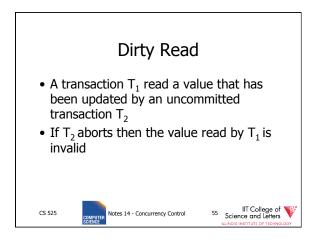


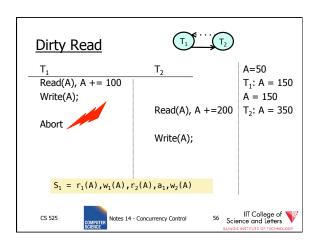




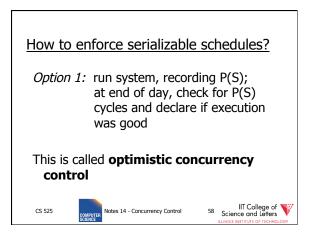


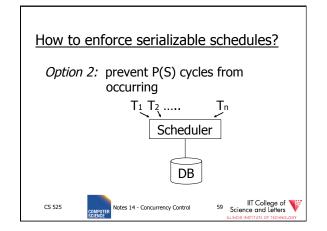


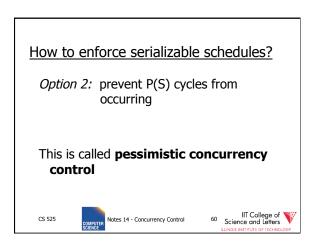


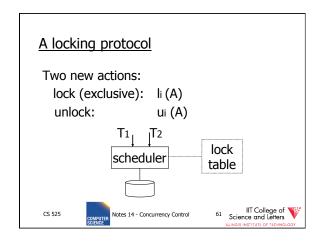


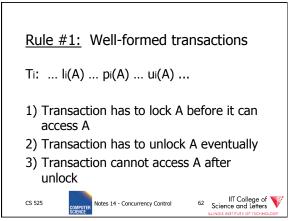
## How to enforce serializable schedules? Option 1: run system, recording P(S); at end of day, check for P(S) cycles and declare if execution was good

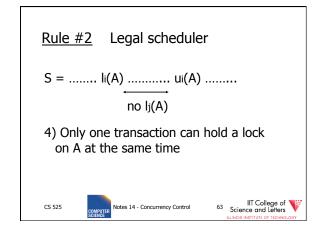


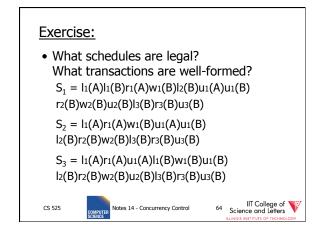


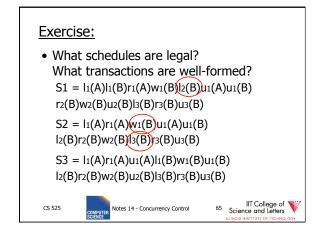


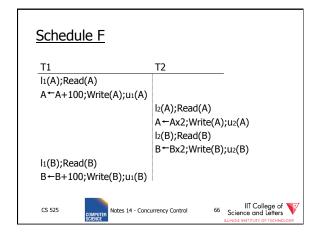


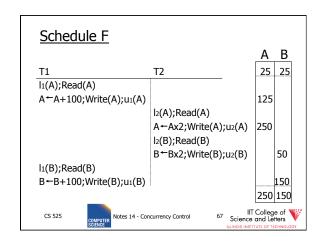


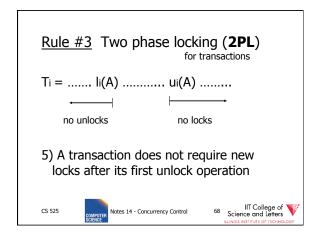


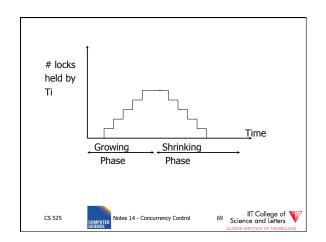


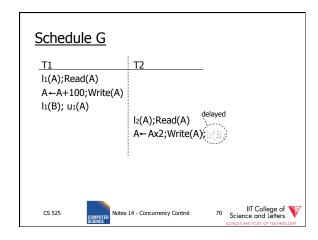


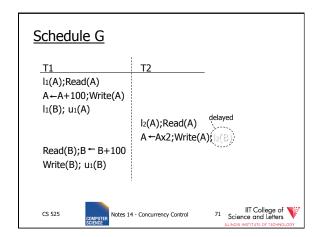


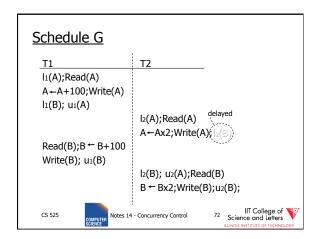


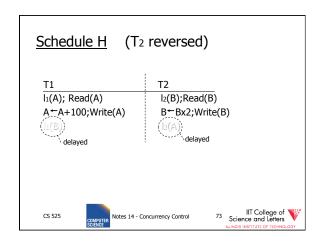


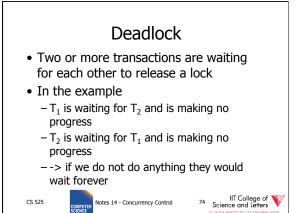


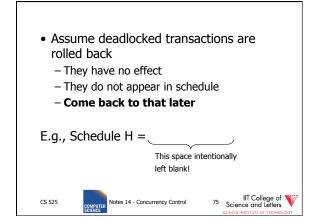


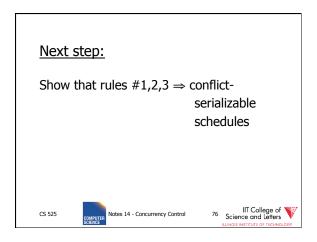


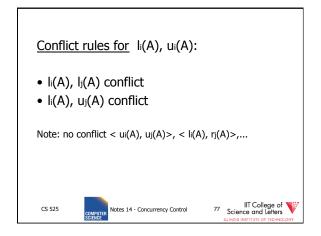


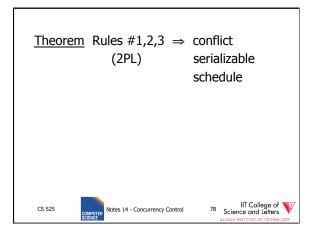












Theorem Rules #1,2,3 ⇒ conflict
(2PL) serializable
schedule

To help in proof:
Definition Shrink(Ti) = SH(Ti) =
first unlock
action of Ti

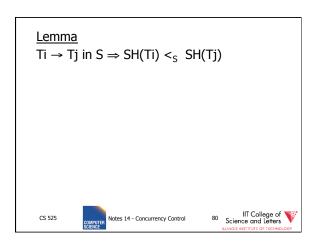
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Lemma  $Ti \rightarrow Tj \text{ in } S \Rightarrow SH(Ti) <_S SH(Tj)$ Proof of lemma:  $Ti \rightarrow Tj \text{ means that}$   $S = ... p_i(A) ... q_j(A) ...; p,q \text{ conflict}$ By rules 1,2:  $S = ... p_i(A) ... u_i(A) ... l_j(A) ... q_j(A) ...$  CS 525Notes 14 - Concurrency Control

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\*\*LINCH Confidence of Technology Control of Confidence of Confidence

Lemma

Ti → Tj in S ⇒ SH(Ti)  $<_S$  SH(Tj)

Proof of lemma:

Ti → Tj means that

S = ...  $p_i(A)$  ...  $q_j(A)$  ...; p,q conflict

By rules 1,2:

S = ...  $p_i(A)$  ...  $u_i(A)$  ...  $u_j(A)$  ...  $u_j(A)$  ...

By rule 3: SH(Ti) SH(Tj)

So, SH(Ti)  $<_S$  SH(Tj)

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Theorem Rules #1,2,3  $\Rightarrow$  conflict (2PL) serializable schedule

Proof:

(1) Assume P(S) has cycle  $T_1 \rightarrow T_2 \rightarrow .... T_n \rightarrow T_1$ (2) By lemma: SH(T<sub>1</sub>) < SH(T<sub>2</sub>) < ... < SH(T<sub>1</sub>)

(3) Impossible, so P(S) acyclic

(4)  $\Rightarrow$  S is conflict serializable

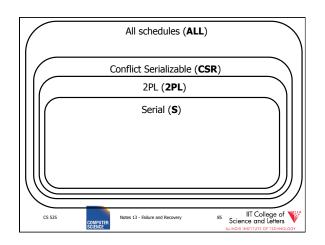
2PL subset of Serializable

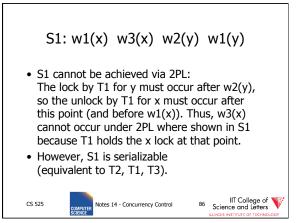
S ⊂ 2PL ⊂ CSR ⊂ ALL

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If you need a bit more practice:

Are our schedules  $S_C$  and  $S_D$  2PL schedules?  $S_C \colon w1(A) \ w2(A) \ w1(B) \ w2(B)$   $S_D \colon w1(A) \ w2(A) \ w2(B) \ w1(B)$ CS 525

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Beyond this simple **2PL** protocol, it is all a matter of improving performance and allowing more concurrency....

Shared locks

Multiple granularity

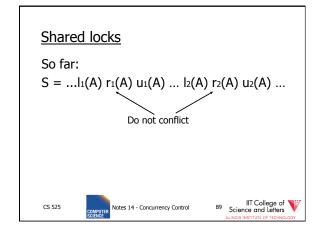
Avoid Deadlocks

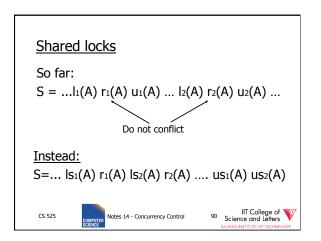
Inserts, deletes and phantoms

Other types of C.C. mechanisms

Multiversioning concurrency control

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## Lock actions

I-ti(A): lock A in t mode (t is S or X) u-ti(A): unlock t mode (t is S or X)

## Shorthand:

u<sub>i</sub>(A): unlock whatever modes T<sub>i</sub> has locked A

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## <u>Rule #1</u> Well formed transactions $T_i = ... I-S_1(A) ... r_1(A) ... u_1(A) ...$

 $T_i = ... I-X_1(A) ... w_1(A) ... u_1(A) ...$ 

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• What about transactions that read and write same object?

Option 1: Request exclusive lock

 $T_i = ...I-X_1(A) ... r_1(A) ... w_1(A) ... u(A) ...$ 

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What about transactions that read and write same object?

## Option 2: Upgrade

(E.g., need to read, but don't know if will write...)

 $T_i = \dots \ I - S_1(A) \ \dots \ r_1(A) \ \dots \ I - X_1(A) \ \dots w_1(A) \ \dots u(A) \dots$  Think of - Get 2nd lock on A, or - Drop S, get X lock

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Rule #2 Legal scheduler

$$S = \dots I \text{-} S_i(A) \dots \dots u_i(A) \dots$$

no I-X<sub>i</sub>(A)

$$S = \dots \ l\text{-}X_i(A) \ \dots \quad \dots \ u_i(A) \ \dots$$

no I-X<sub>j</sub>(A) no I-S<sub>j</sub>(A)

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A way to summarize Rule #2

Compatibility matrix

Comp

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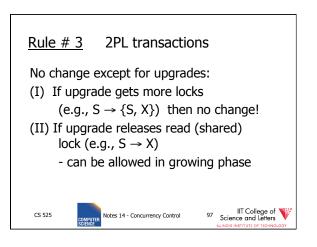
	S	X
S	true	false
X	false	false

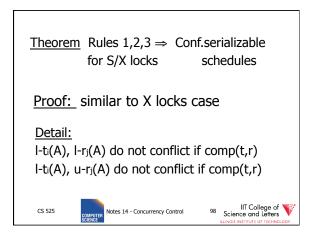
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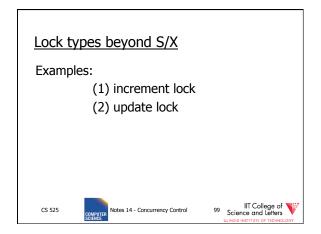


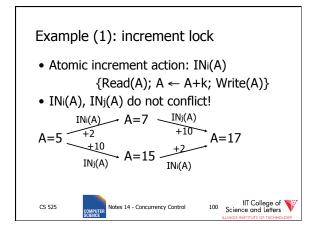
96 Science and Letters

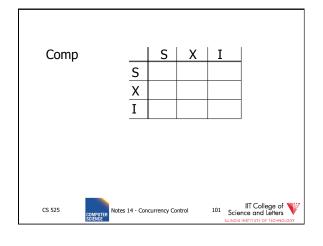
94 Science and Letters

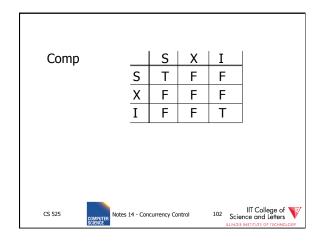


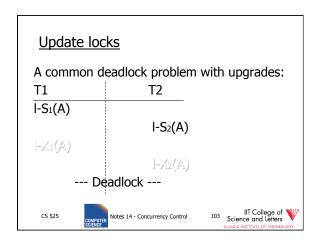


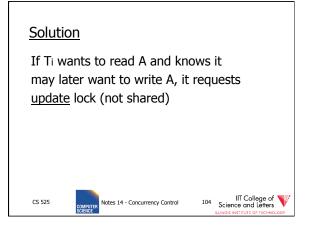


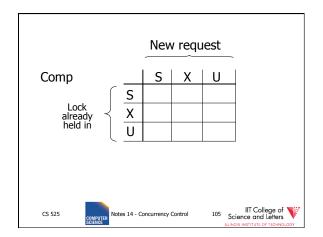


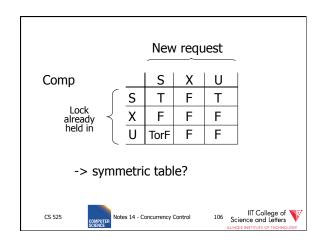






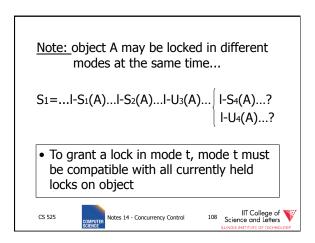




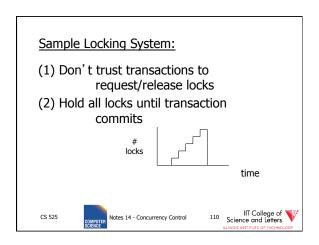


Note: object A may be locked in different modes at the same time...

S1=...I-S1(A)...I-S2(A)...I-U3(A)... I-S4(A)...? I-U4(A)...?



## How does locking work in practice? • Every system is different (E.g., may not even provide CONFLICT-SERIALIZABLE schedules) • But here is one (simplified) way ... 109 Science and Letters Notes 14 - Concurrency Control

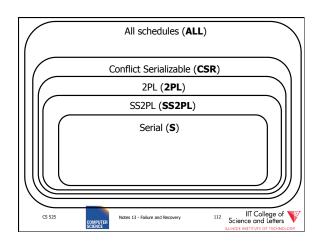


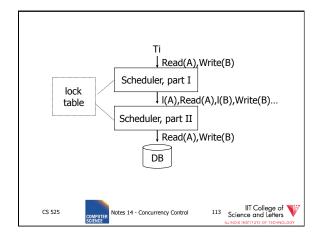
## Strict Strong 2PL (SS2PL)

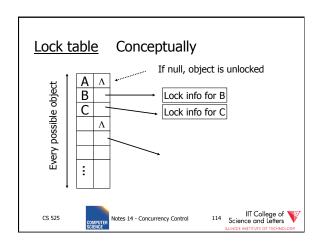
- 2PL + (2) from the last slide
- · All locks are held until transaction end
- Compare with schedule class strict (ST) we defined for recovery
  - A transaction never reads or writes items written by an uncommitted transactions
- SS2PL = (ST  $\cap$  2PL)

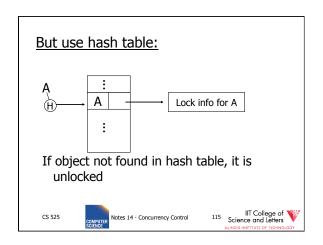
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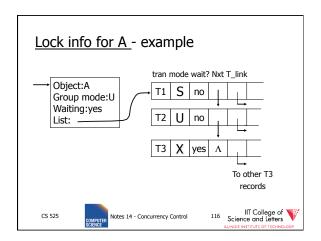


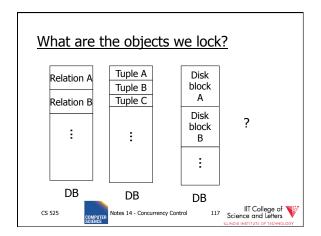












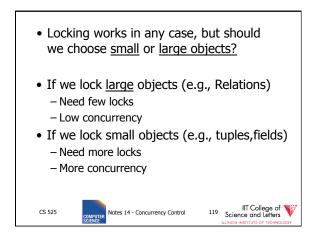
• Locking works in any case, but should we choose small or large objects?

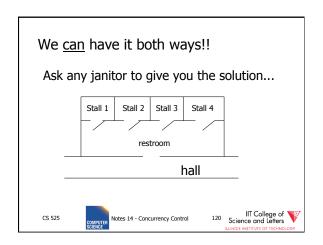
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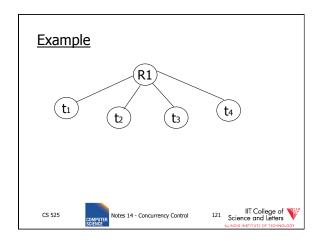
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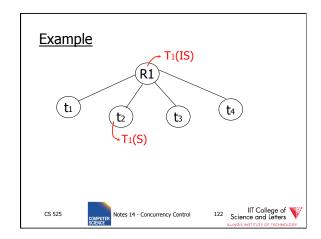
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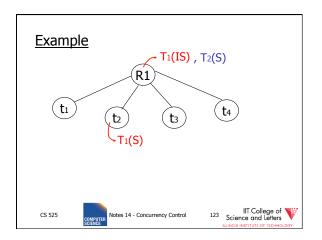
Science and Letters

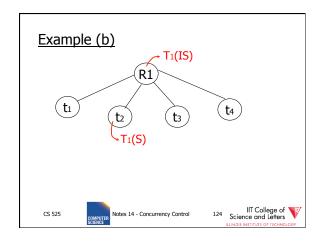


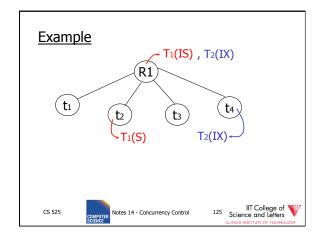


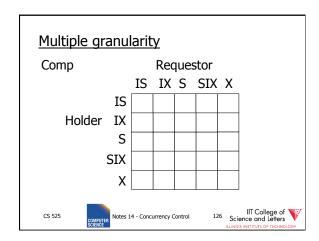


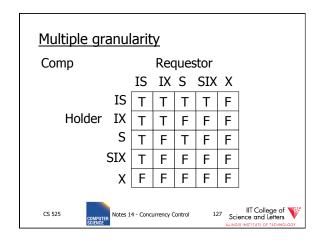


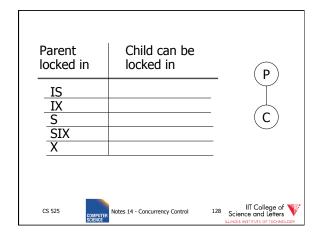


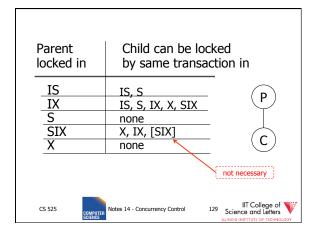


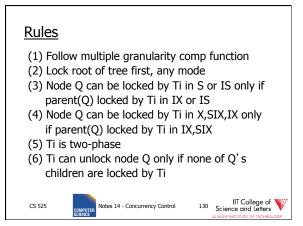


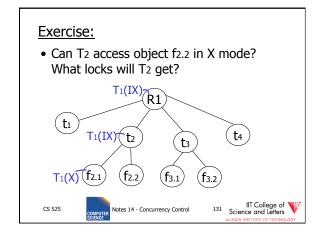


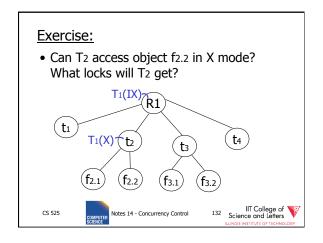


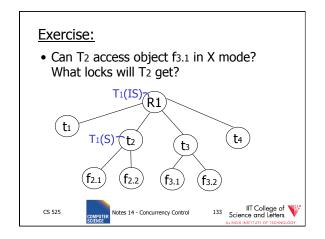


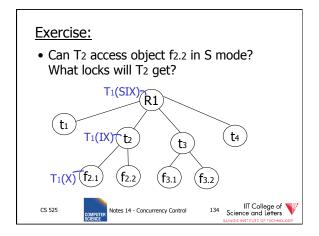


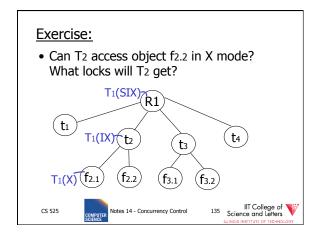


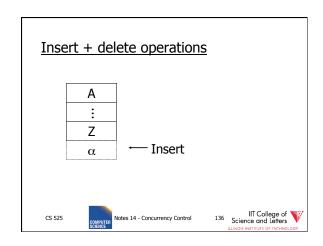


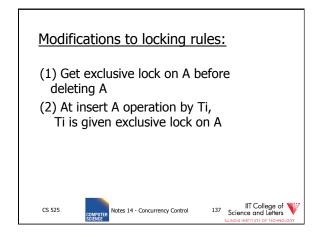


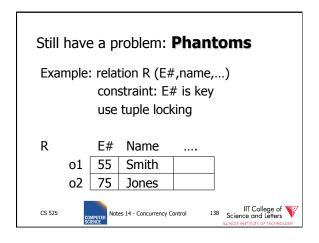


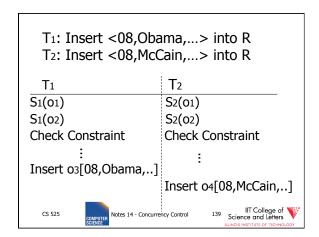


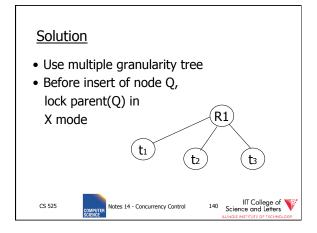


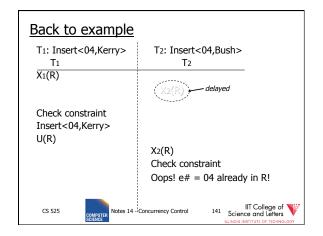


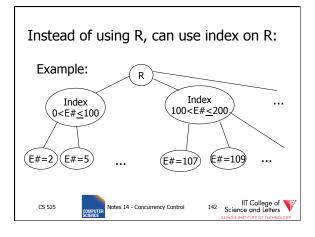












This approach can be generalized to multiple indexes...

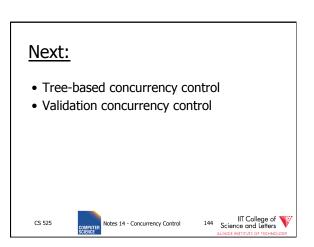
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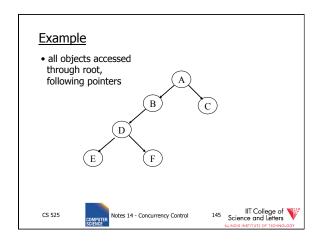
Notes 14 - Concurrency Control

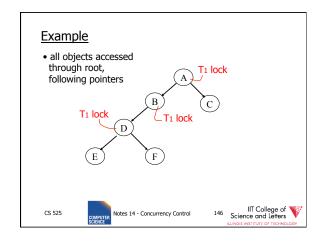
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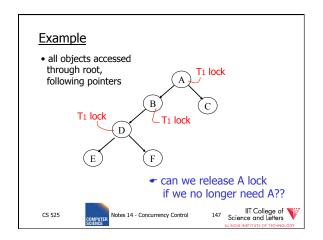
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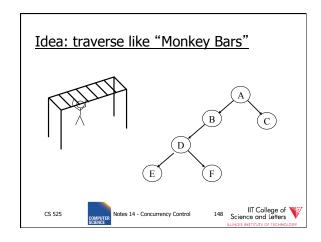
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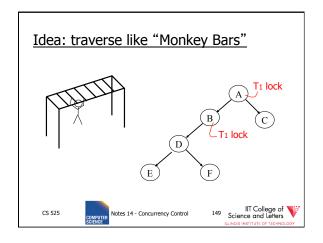


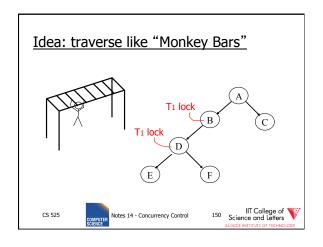


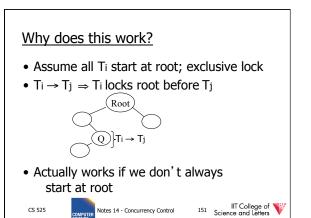


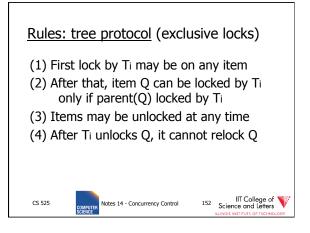


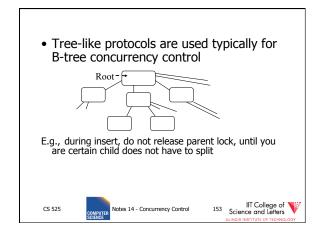


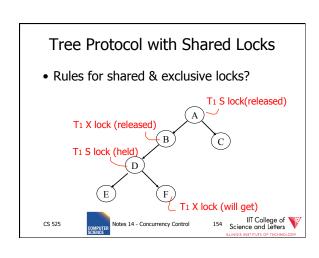


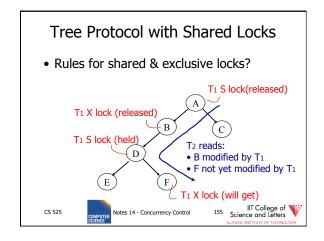


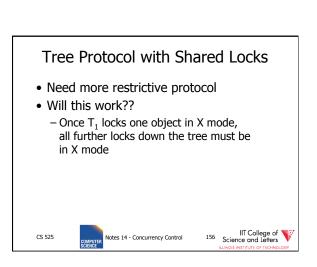


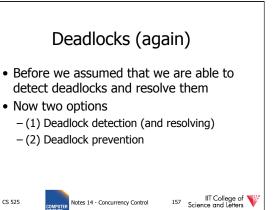


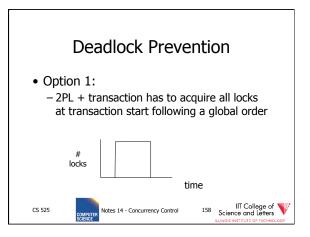




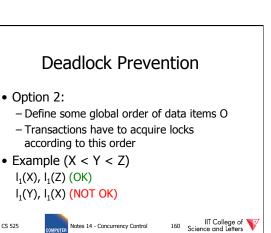


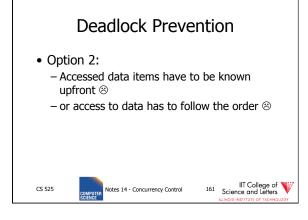


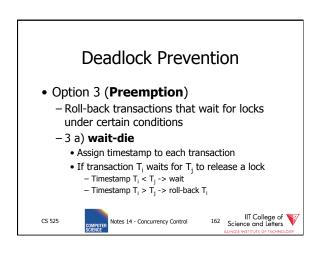




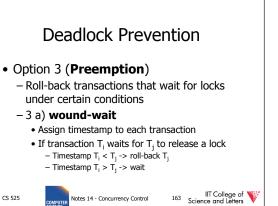
## **Deadlock Prevention** • Option 1: - Long log durations ⊗ - Transaction has to know upfront what data items it will access ⊗ **UPDATE** R **SET** a = a + 1 **WHERE** b < 15• We don't know what tuples are in R! 159 Science and Letters CS 525 Notes 14 - Concurrency Control

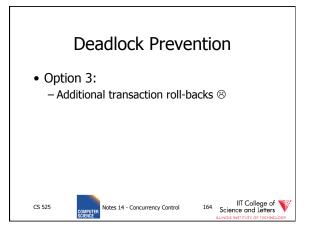




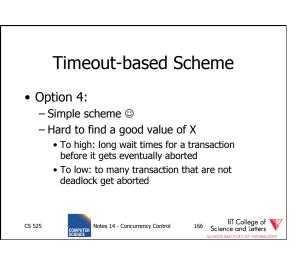


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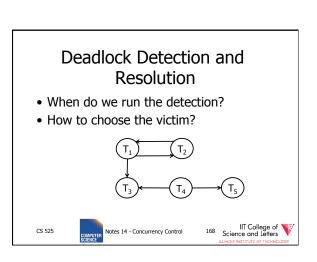




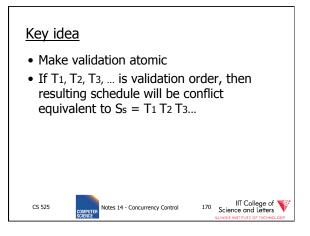
## 



## Deadlock Detection and Resolution • Data structure to detect deadlocks: wait-for graph - One node for each transaction - Edge T<sub>i</sub>->T<sub>j</sub> if T<sub>i</sub> is waiting for T<sub>j</sub> - Cycle -> Deadlock • Abort one of the transaction in cycle to resolve deadlock cs 525 \*\*If College of Science and Letters \*\*Notes 14 - Concurrency Control\*\* \*\*If College of Science and Letters \*\*Science and Letters



# Optimistic Concurrency Control: Validation Transactions have 3 phases: (1) Read - all DB values read - writes to temporary storage - no locking (2) Validate - check if schedule so far is serializable (3) Write - if validate ok, write to DB CS 525 Notes 14 - Concurrency Control If College of Science and Leitlers Line Serial T College of Science and Leitlers Line Serial T College of Science and Leitlers



To implement validation, system keeps two sets:

• FIN = transactions that have finished phase 3 (and are all done)

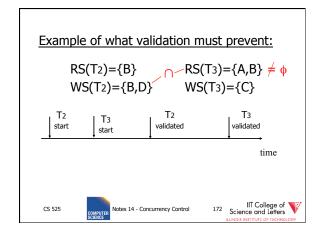
• VAL = transactions that have successfully finished phase 2 (validation)

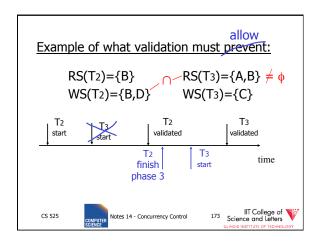
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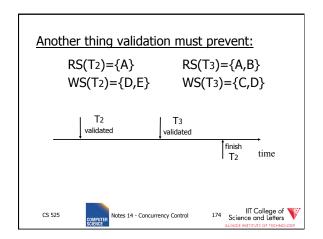
Notes 14 - Concurrency Control

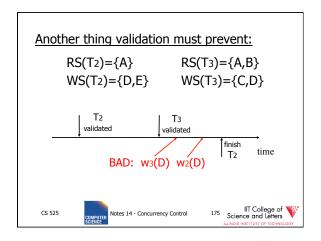
171 Science and Lathers

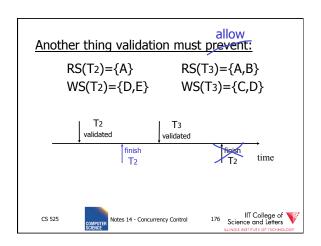
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Validation rules for Tj:

(1) When Tj starts phase 1:
    ignore(Tj) ← FIN

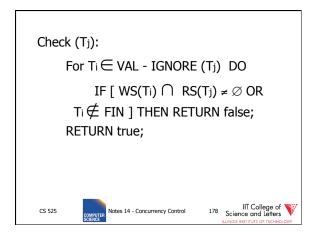
(2) at Tj Validation:
    if check (Tj) then
        [ VAL ← VAL U {Tj};
        do write phase;
        FIN ←FIN U {Tj} ]

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Check (T<sub>j</sub>):

For T<sub>i</sub> \subseteq VAL - IGNORE (T<sub>j</sub>) DO

IF [ WS(T<sub>i</sub>) \cap RS(T<sub>j</sub>) \neq \emptyset OR

T<sub>i</sub> \not\subseteq FIN ] THEN RETURN false;

RETURN true;

Is this check too restrictive ?

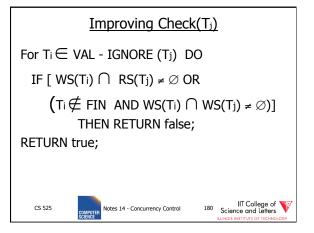
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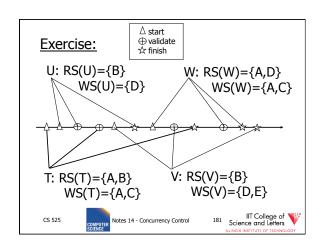
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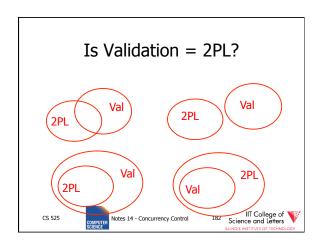
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## S2: w2(y) w1(x) w2(x)

- S2 can be achieved with 2PL: |2(y) w2(y) |1(x) w1(x) u1(x) |2(x) w2(x) u2(y) u2(x)
- S2 cannot be achieved by validation:
   The validation point of T2, val2 must occur before w2(y) since transactions do not write to the database until after validation. Because of the conflict on x, val1 < val2, so we must have something like</li>

S2: val1 val2 w2(y) w1(x) w2(x) With the validation protocol, the writes of T2 should not start until T1 is all done with its writes, which is not the case.

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### Validation subset of 2PL?

- Possible proof (Check!):
  - Let S be validation schedule
  - For each T in S insert lock/unlocks, get S':
    - At T start: request read locks for all of RS(T)
    - At T validation: request write locks for WS(T); release read locks for read-only objects
    - At T end: release all write locks
  - Clearly transactions well-formed and 2PL
  - Must show S' is legal (next page)

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## • Say S' not legal:

S': ... l1(x) w2(x) r1(x) val1 u2(x) ...

- At val1: T2 not in Ignore(T1); T2 in VAL
- T1 does not validate: WS(T2) ∩ RS(T1) ≠ Ø
- contradiction!

### • Say S' not legal:

S': ... val1 l1(x) w2(x) w1(x) u2(x) ...

- Say T2 validates first (proof similar in other case)
- At val1: T2 not in Ignore(T1); T2 in VAL
- T1 does not validate:

 $T2 \notin FIN AND WS(T1) \cap WS(T2) \neq \emptyset$ 

– contradiction!

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Validation (also called **optimistic concurrency control**) is useful in some cases:

- Conflicts rare
- System resources plentiful
- Have real time constraints

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## **Summary**

Have studied CC mechanisms used in practice

- 2 PL variants
- Multiple lock granularity
- Deadlocks
- Tree (index) protocols
- Optimistic CC (Validation)

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